

Optimal Sample Size Allocation to Mixed Modes: A Case Study Using the Residential Energy Consumption Survey

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Outline

- The general problem
- The problem as faced during the 2015 Residential Energy Consumption Survey
- Description of mixed mode allocation method
- Simulation study
- Discussion/Next Steps

The General Problem

- In many large-scale surveys, some variables are more expensive to collect than others
 - National Health and Nutrition Examination Survey (NHANES): physical examinations (expensive) and interview questions (less expensive)
 - National Survey on Drug Use and Health (NSDUH): clinical interviews (expensive) and non-clinical interviews (less expensive)
 - Residential Energy Consumption Survey (RECS): measured square footage (expensive) and interview questions (less expensive)
- If a mixed mode approach is adopted, how much sample should be allocated to each mode?

What happened during the 2015 RECS

- Original plan: face-to-face interviews only
- ~2,400 face-to-face interviews completed before this mode was abandoned
- ~3,000 web/mail interviews completed after face-to-face mode was abandoned
- Measured square footage was imputed for all w/m cases
- The imputation model was pretty good: there were plenty of good covariates with high item response rates. $R^2 = 0.73$.
- If we had planned the mixed mode approach all along, what would we have done?

Mixed Mode Allocation Method (1)

- Assume fixed data collection budget of \$200K
- Assume costs per completed case: \$25 for web/mail and \$500 for face-to-face
- Minimize the variance of the estimate of mean measured square footage
 - Not of primary interest to the Energy Information Administration (EIA), but it's a place to start.
- (For RECS insiders only) Restrict analysis to single-family detached homes
- Use double sampling and regression estimation (Legg & Fuller, 2009)¹ and Phil's instructions:

¹Legg, J.C. and Fuller, W.A. (2009). "Two-Phase Sampling," In *Handbook of Statistics 29: Vol 29A, Sample Surveys: Design, Methods, and Applications*, Pfeiffermann, D. and Rao, C.R. eds., pp. 55-70. Elsevier: Amsterdam.

Mixed Mode Allocation Method (2)

- 1) Regress measured square footage on a subset of the inexpensive variables, using 2005 RECS public-use data (reuse imputation model!)
- 2) Save predicted values and residuals
 - 1) Variance of predicted values = $\sigma_{\hat{y}}^2$
 - 2) Variance of residuals = σ_{ε}^2

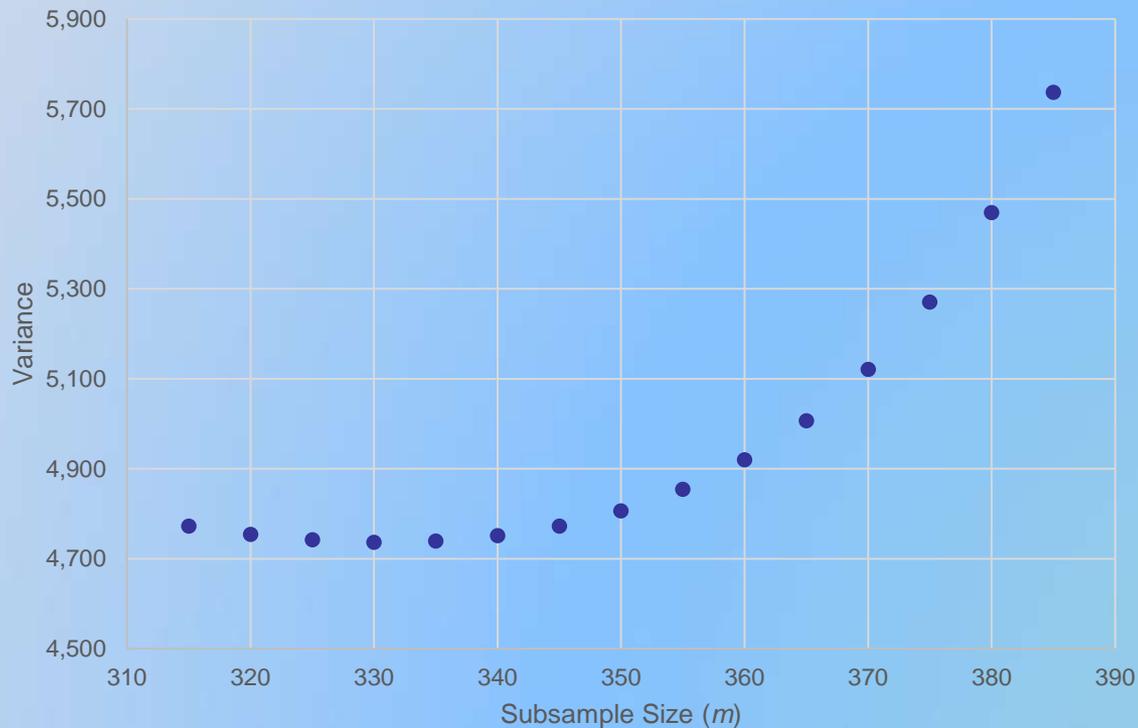
Mixed Mode Allocation Method (3)

- 3) List possible values of sample size n and subsample size m
 - 1) Let m vary from 100 to 400
 - 2) Then $n = 8,000 - 19m$ (from cost equation)
- 4) Plot $\frac{\sigma_{\hat{h}at}^2}{n} + \frac{\sigma_{\varepsilon}^2}{m}$ as a function of m

Mixed Mode Allocation Method (4)

- Variance is minimized where $\frac{m}{n} = \frac{\sigma_{\varepsilon}^2 / \sqrt{500}}{\sigma_{\hat{h}at}^2 / \sqrt{25}} = 0.16$

Variance of Mean Measured Square Footage as a Function of Subsample Size



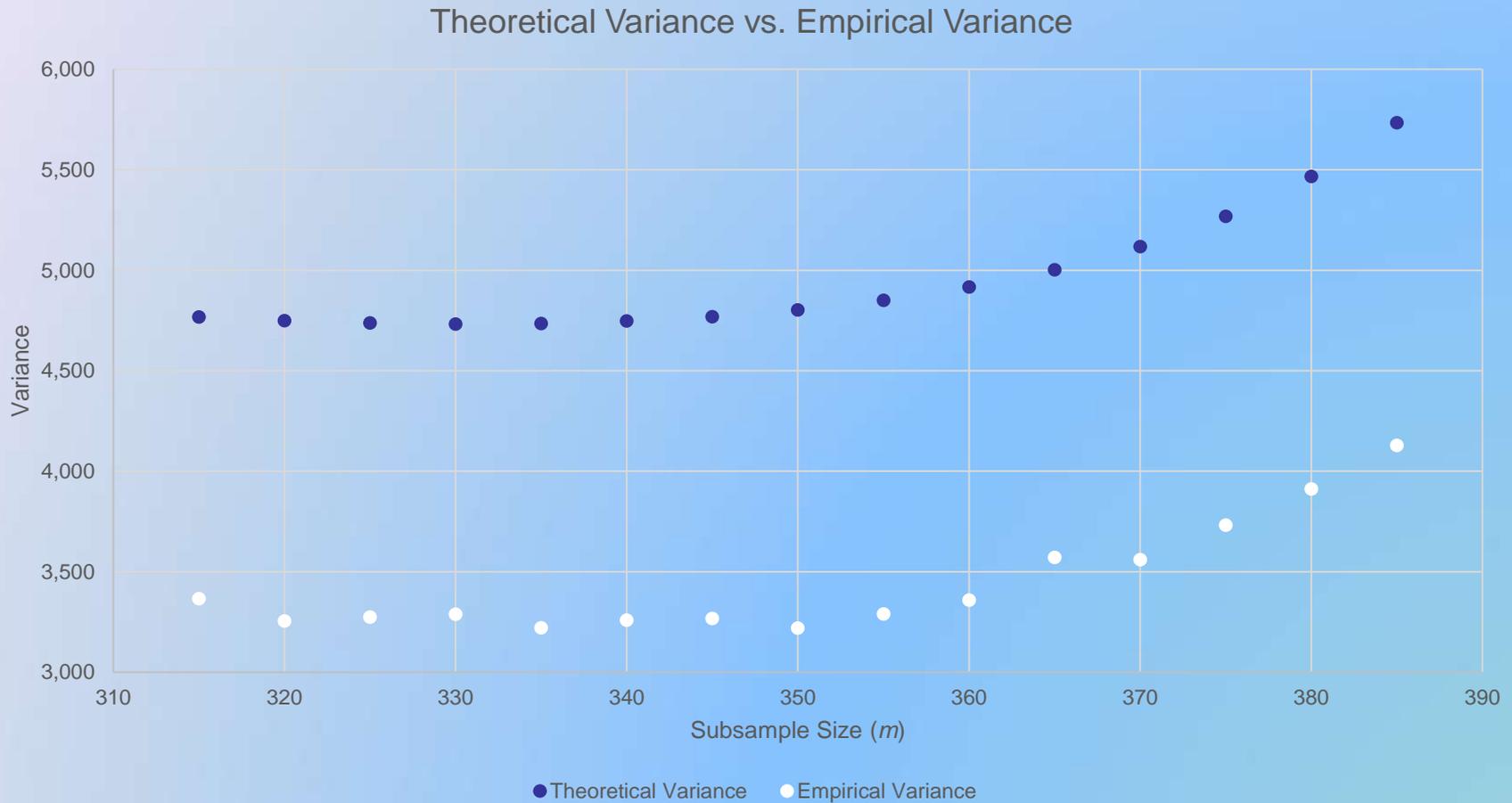
Simulation Study (1)

- Done to confirm that the results match the theory: the results depend on whether the model fits the population data
- For each value of m and n near the theoretical minimum:
 - Draw 10,000 samples and subsamples from the cases on the public-use dataset
 - Fit the regression model using the data in the subsample

Simulation Study (2)

- Estimate mean measured square footage as $\bar{y} = \frac{1}{n} \left(\sum_{i \in M} y_i + \sum_{j \in (N-M)} \hat{y}_j \right)$, where
 - M is the set of observations in the subsample
 - y_i is the measured square footage of subsample unit i
 - N is the set of observations in the full sample
 - \hat{y}_j is the model-predicted measured total square footage for sample unit j
- Calculate the mean squared error and bias of the 10,000 point estimates (the bias turned out to be trivial)
- Plot the simulation-based variances on the same axes as the theoretical variances

Theoretical Variance vs Simulation Variance



Conclusions

- In future RECS, should less data be collected face-to-face?
 - assumes that estimating the mean measured square footage is an important goal of the survey, and that the cost estimates were approximately correct
- Everything depends on the relative cost estimates and the quality of the model
- Playing with the model mattered!
- If we accounted for clustering, perhaps even a smaller proportion of the cases should have been face-to-face.
- If I can do this, you can do this. (It might not work as well for your survey, though.)

Next Steps

- How sensitive is this to the relative cost estimates?
- Minimize cost given a fixed variance
- Let both cost and variance vary and let the client decide where we belong on the curve
- Incorporating weights and sample design

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